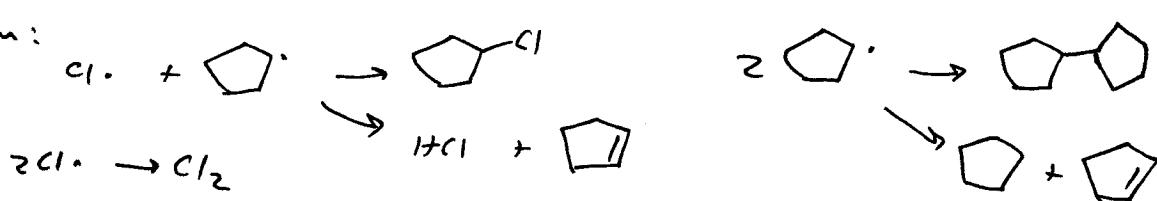


term:



(b)  $\Delta H^\circ$  calc above

overall  $\Delta H^\circ = -31 \text{ kcal/mol}$

$\Delta H^\circ (\text{kcal/mol})$

|    | prop-1 | prop-2 | overall rxn |   |
|----|--------|--------|-------------|---|
| F  | -38    | -72    | -110 !!!    | -goes boom (unless one<br>is very very careful)   |
| Cl | -5     | -26    | -31         |   |
| Br | +10    | -24    | -14         |   |
| I  | +27    | -19    | +8          | -uphill - since $\Delta S^\circ \approx 0^\circ$ ,<br>$\Delta G^\circ$ is also positive<br>∴ "equil" favors reactants |

4. (a)

$$\frac{k_1}{k_2} = \frac{A_1 e^{-E_a(1)/RT}}{A_2 e^{-E_a(2)/RT}}$$

we're comparing similar rxns, so  $A_1 \approx A_2$

$$\frac{k_1}{k_2} = e^{(-E_a(1) - -E_a(2))/RT}$$

$$RT \ln \left( \frac{k_1}{k_2} \right) = E_a(2) - E_a(1) = \Delta E_a$$

$$\begin{array}{l} \uparrow \\ 1,987 \text{ cal/mol K} \end{array} \quad 298 \text{ K} \quad \frac{k_1}{k_2} = 5 \Rightarrow \Delta E_a = 0.95 \text{ kcal/mol}$$

(b)  $\frac{k_1}{k_2} = 2000 \Rightarrow \Delta E_a = 4.5 \text{ kcal/mol}$

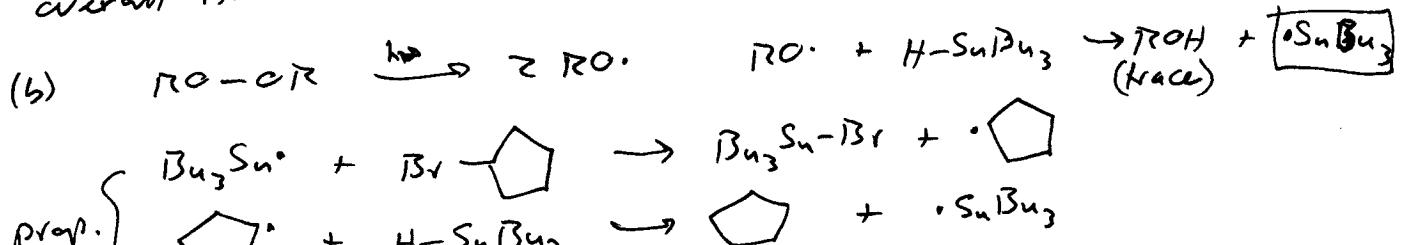
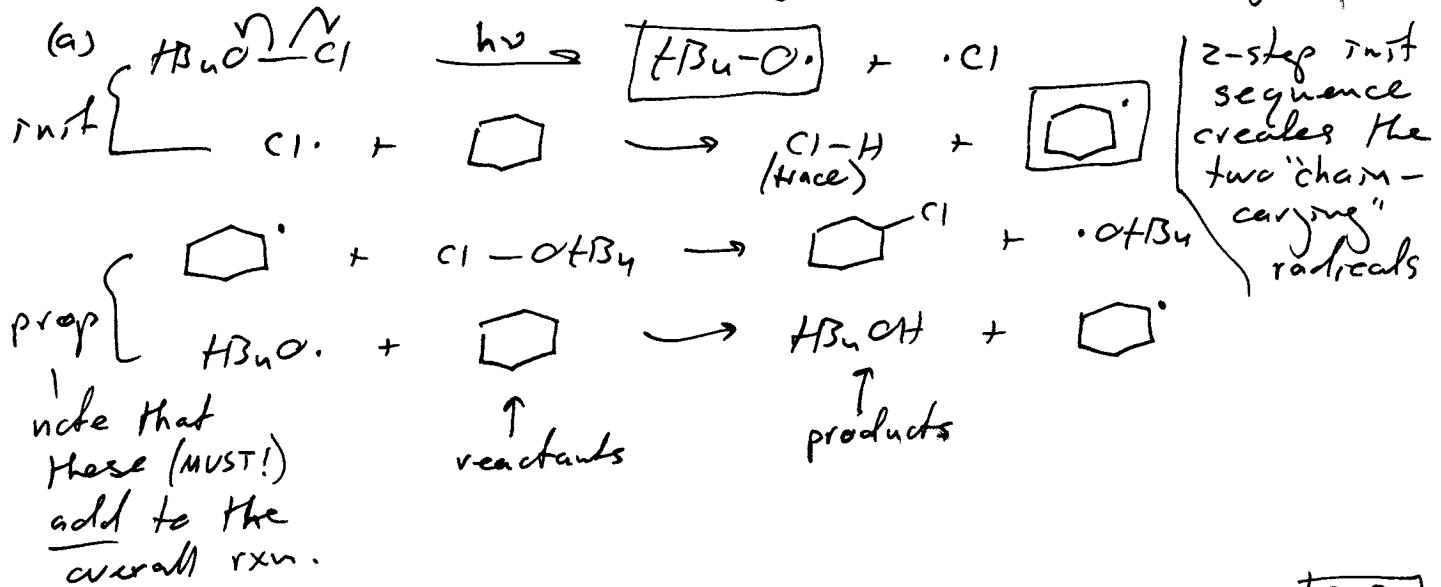
$$4. (c) \quad \Delta E_a = 0.95 \text{ kcal/mol}$$

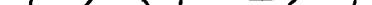
$$T = 473K \Rightarrow \frac{k_1}{k_2} = 2.7 - \text{absorption by } C_1 \text{ is } \frac{1085}{\text{selective at } 200^\circ C}$$

$$T = 195K \Rightarrow \frac{k_1}{k_2} = 11.6 - \text{more}$$

This is the case in general - at high T, molecules have enough thermal energy to rapidly cross over barriers with little regard for small differences in  $E_a$ 's. At low T, the little guys are just barely able to crawl over the barriers - very few will be able to cross over the higher barriers.

5. On problems like these it's especially important to follow the instructions so you get off on the right foot -



(c) same as above, but 

then the 1° radical  $\overset{\cdot}{\text{Bn}_3}$  abstracts H from  $\text{Bn}_3\text{Sn}-\text{H}$  — this rxn has a 3-step propagation sequence -